

APPENDIX F

TROPOSPHERIC SCATTER EQUATIONS

This appendix contains appropriate forms to be used in reference to a Feasibility and System Design Study.

MICROWAVE PATH DATA CALCULATIONS				
1	SITE			
2	LATITUDE			
3	LONGITUDE			
4	ELEVATION	Ft.		
5	TOWER HEIGHT	Ft.		
6	TOWER TYPE			
7	AZIMUTH FROM TRUE NORTH.			
8	PATH LENGTH	Mi.		
9	PATH ATTENUATION	dB		
10	RIGID WAVEGUIDE	Ft.		
11	FLEXIBLE WAVEGUIDE	Ft.		
12	WAVEGUIDE LOSS	dB		
13	CONNECTOR LOSS	dB		
14	CIRCULATOR OR HYBRID LOSS	dB		
15	RADOME LOSS, TYPE*	dB		
16	NEAR FIELD LOSS	dB		
17	CLOSE COUPLING LOSS (DOUBLE PASS.)	dB		
18	TOTAL FIXED LOSSES	dB		
19	TOTAL LOSSES	dB		
20	PARABOLA HEIGHT	Ft.		
21	PARABOLA DIAMETER	Ft.		
22	REFLECTOR HEIGHT	Ft.		
23	REFLECTOR SIZE, TYPE	Ft.		
24	PARABOLA - REFLECTOR SEP.	Ft.		
25	NEAR FIELD GAIN	dB		
26	ANTENNA SYSTEM GAIN	dB		
27	TOTAL GAINS	dB		
28	NET PATH LOSS	dB		
29	TRANSMITTER POWER	dBm		
30	MED. RECEIVED POWER (± 2 dB)	dBm		
31	RECEIVER NOISE THRESHOLD	dBm		
32	THEORETICAL RF C/N RATIO	dB		
33	FM IMP. THRESHOLD (dBa)	dBm		
34	FADE MARGIN (To FM Imp. Thresh.)	dB		
35	RELIABILITY SPACING†	%		
36	POLARIZATION ‡			
37	PROFILE NUMBER			

CUSTOMER _____

PROJECT NO. _____ FREQUENCY _____

SYSTEM _____ EQUIPMENT _____

LOADING _____ dBm0 (_____ CHANNELS OF _____)

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† U - Unheated
H Heated

‡ V - Vertical
H - Horizontal

• (Reliability Figures Are For Rayleigh Distributed Fading Only)

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Figure F-1. Microwave Path Data Calculation Sheet

PARAMETER	
DISTANCE d , km	
SCATTER ANGLE θ , MILLIRADIANS	
θd RADIANS	
ATTENUATION FUNCTION $F(\theta d)$ IN dB (FROM FIGURE 4-5)	
$30 \text{ LOG } f$ IN dB	
$-20 \text{ LOG } d$ IN dB	
$F_0, H,$ AND A_0 CONSIDERED NEGLIGIBLE	
L_{bsr} dB	

$L_{bsr} = 30 \text{ LOG } f - 20 \text{ LOG } d + F(\theta d) - F_0 + H_0 + A_0 ; \text{ dB}$

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Figure F-2. Computation of Long Term Median Transmission Loss Tropospheric Scatter (for Preliminary Design Purposes)

ANTENNA COUPLING LOSS (SCATTER LOSS)	
$S = \frac{\alpha_0}{\beta_0}$ <p>(FROM FIGURE 6-17)</p>	
$D_s = d - d_{LT} - d_{LR} \quad \text{km}$ <p>(FROM FIGURE 6-17)</p>	
$h_0 = \frac{S D_s \theta}{(1 + S)^2} \quad \text{km}$	
<p>THE HALF POWER BEAM WIDTH Ω OF A PARABOLIC ANTENNA IS APPROXIMATELY</p> <div style="display: flex; justify-content: space-between;"> <div style="width: 45%;"> $\Omega = \frac{1222}{FB} \text{ MILLIRADIANS}$ </div> <div style="width: 45%;"> <p>F = FREQUENCY IN GHz B = PARABOLA DIAMETER FEET</p> </div> </div> <p>(FROM FIGURE 6-14)</p>	
$\frac{\theta}{\Omega} =$	
<p>SCATTER LOSS L_{gp} (FROM FIGURE 6-23)</p>	

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Figure F-3. Antenna Coupling Loss (Scatter Loss)

$L_{bsr} = 30 \text{ LOG } f - 20 \text{ LOG } D + F(\theta d) - F_0 + H_0 + A_0 \text{ dB}$

θd IN RADIANS		
PATH ASYMMETRY $S = \frac{\alpha_0}{\beta_0} =$		
ATTENUATION FUNCTION $F(\theta d)$ IN dB FROM FIGURE 8-6, 7, 8, OR 9		
$30 \text{ LOG } F$ IN dB =		
$- 20 \text{ LOG } d$ IN dB =		
$h_0 = \frac{S d \theta}{(1+S)^2}$ IN km		
$r_1 = 41.92 \theta f$ $h_{te} =$		
$r_2 = 41.92 \theta f$ $h_{te} =$		
$q = \frac{r_2}{sr_1} =$		
η_s FROM FIGURE 6-22		
$H_0 = \frac{H_0(r_1) + H_0(r_2)}{2} + \Delta H_0$ IN dB		
$H_0(r_1)$ & $H_0(r_2)$ FROM FIGURE 8-10 ; ΔH_0 FROM FIGURE 8-11		
$D_s = d - d_{Lt} - d_{Lr}$ IN km		
$L_1 = \frac{S D_s \theta}{(1+S)^2}$ IN km		
$F_0 = 1.086 \left(\frac{\eta_s}{h_0}\right) (h_0 - h_{L1} - h_{Lr})$ dB		
A_0 FROM FIGURE 4-6		
L_{bsr}		

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Figure F-4. Computation of Long Term Median Transmission Loss Tropospheric Scatter (for Design Purposes)

(EXISTING TROPOSCATTER PATH)

$d =$ $a =$	
$h_{ts} =$ $h_{Lt} =$ $h_{te} =$ $d_{Lt} =$ $d_{st} =$	$h_{rs} =$ $h_{Lr} =$ $h_{re} =$ $d_{Lr} =$ $d_{sr} =$
$\theta_{et} = \frac{h_{Lt} - h_{ts}}{d_{Lt}} - \frac{d_{Lt}}{2a}$	$\theta_{er} = \frac{h_{Lr} - h_{rs}}{d_{Lr}} - \frac{d_{Lr}}{2a}$
$x = \frac{d}{2a} + \frac{h_{ts} - h_{rs}}{d}$	$y = \frac{d}{2a} - \frac{h_{ts} - h_{rs}}{d}$
$\theta_{ot} = \theta_{et} + \frac{d_{Lt}}{a}$	$\theta_{or} = \theta_{er} + \frac{d_{Lr}}{a}$
$\Delta\alpha \cong$ FROM FIGURES 6-18 AND 6-19	$\Delta\beta \cong$ FROM FIGURES 6-18 AND 6-19
$\alpha_o = \theta_{et} + x + \Delta\alpha_o$	$\beta_o = \theta_{er} + y + \Delta\beta_o$
$\theta_{oo} = \theta_{ot} + \beta_o$	

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Figure F-5. Tropospheric Path Angle Computations (Milliradians)